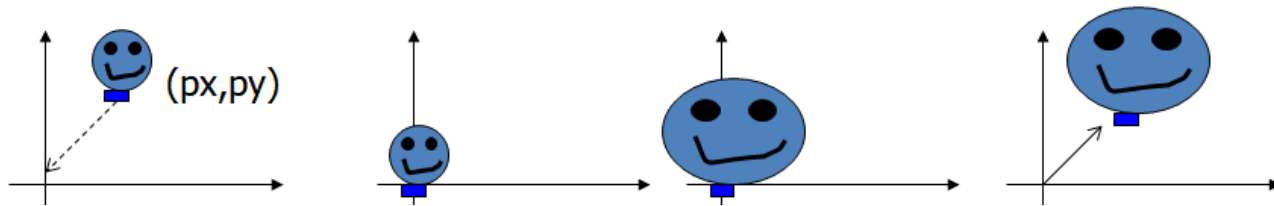


# Scaling Revisit

- To scale about an arbitrary fixed point  $P$   $(p_x, p_y)$ :
  - Translate the object so that  $P$  will coincide with the origin:  $T(-p_x, -p_y)$
  - Scale the object:  $S(s_x, s_y)$
  - Translate the object back:  $T(p_x, p_y)$



## Types of Curves / Surfaces

- Explicit:

$$y = mx + b$$

$$z = Ax + By + C$$

- Implicit:

$$Ax + By + C = 0$$

$$(x - x_0)^2 + (y - y_0)^2 - r^2 = 0$$

- Parametric:

$$x = x_0 + (x_1 - x_0) t$$

$$x = x_0 + r \cos \theta$$

$$y = y_0 + (y_1 - y_0) t$$

$$y = y_0 + r \sin \theta$$

# Parametric surfaces

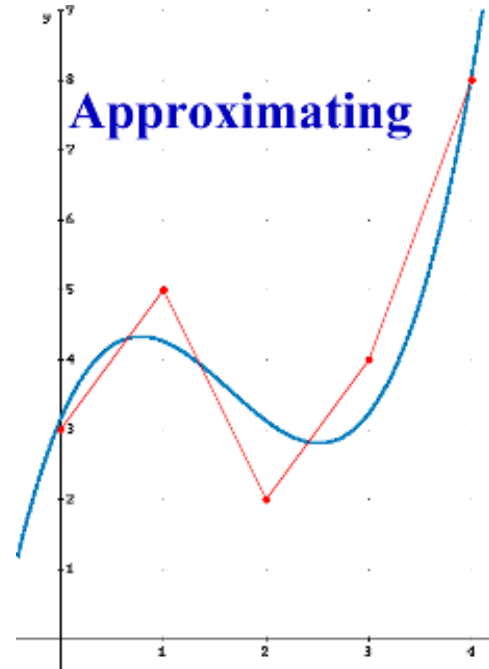
- Hermite curve
- Bezier curve

## Why parametric?

- Parametric curves are very flexible.
- Parameter count gives the object's dimension.  
 $(x(u,v), y(u,v), z(u,v))$  : 2D surface
- Coord functions independent.

# Specifying curves

- Control Points:
  - A set of points that influence the curve's shape.
- Interpolating curve:
  - Curve passes through the control points.
- Control polygon:
  - Control points merely influence shape.

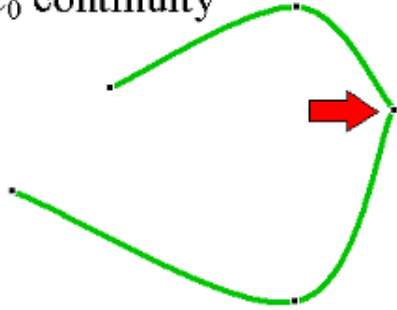


# Piecewise curve segments

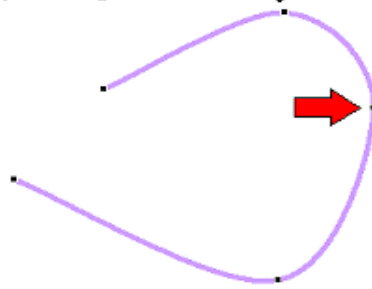
We can represent an arbitrary length curve as a series of curves pieced together.

But we will want to control how these curves fit together ...

$C_0$  continuity



$C_0$  &  $C_1$  continuity



$C_0$  &  $C_1$  &  $C_2$  continuity

